retrieve

Easy Samples First: Self-paced Reranking for Zero-Example Multimedia Search

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Outline



- Background
- Related Work
- Self-Paced Reranking (SPaR)
- Experiment Results
- Conclusions



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Zero-Example Search

- Zero-Example Search (also known as 0Ex)
 represents a multimedia search condition where
 zero relevant examples are provided.
- An example: TRECVID Multimedia Event Detection (MED). The task is very challenging.
 - Detect every-day event in Internet videos
 - Birthday Party
 - Changing a vehicle tire
 - Wedding ceremony
 - Content-based search. No textual metadata (title/description) is available.







Event of Interest: Birthday Party

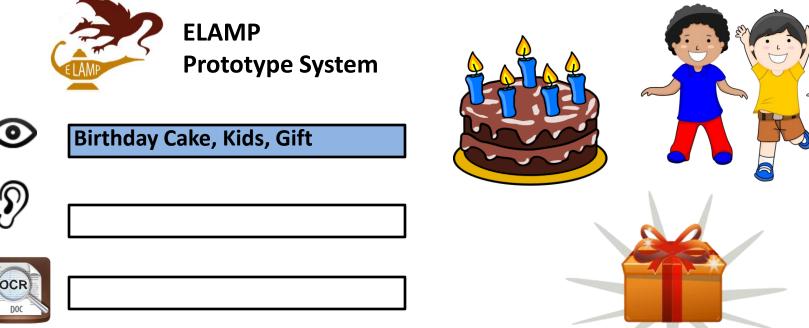
	ELAMP	ELAMP Prototype System
o		
P		
OCR		



Zero-Example Search



Event of Interest: Birthday Party









Event of Interest: Birthday Party





Birthday Cake, Kids, Gift



Happy Birthday, Cheering











Zero-Example Search



Event of Interest: Birthday Party





Birthday Cake, Kids, Gift



Happy Birthday, Cheering



Birthday Party





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Zero-Example Search

Event of Interest: Birthday Party





Birthday Cake, Kids, Gift



Happy Birthday, Cheering





0Ex

System. 5



Birthday Party

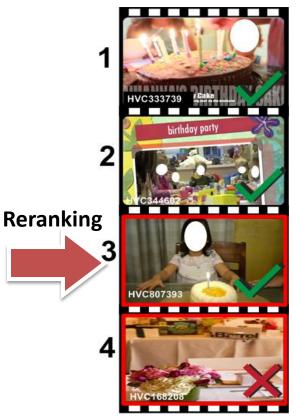






Reranking





- Intuition: initial ranked result is noisy.
- Refined by the multimodal info residing in the top ranked videos/images.







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Related Work



- Categorization of reranking methods:
 - Classification-based
 - (Yan et al. 2003) (Hauptmann et al. 2008)(Jiang et al. 2014)
 - Clustering-based
 - (Hsu et al. 2007)
 - LETOR(LEarning TO Rank)-based
 - (Liu et al. 2008) (Tian et al. 2008) (Tian et al. 2011)
 - Graph-based
 - (Hsu et al. 2007) (Nie et al. 2012)

R. Yan, A. G. Hauptmann, and R. Jin. Multimedia search with pseudo-relevance feedback. In CVIR, 2003.

A. G. Hauptmann, M. G. Christel, and R. Yan. Video retrieval based on semantic concepts. *Proceedings of the IEEE*, 96(4):602–622, 2008.

L. Jiang, T. Mitamura, S.-I. Yu, and A. G. Hauptmann. Zero-example event search using multimodal pseudo relevance feedback. In ICMR, 2014

W. H. Hsu, L. S. Kennedy, and S.-F. Chang. Video search reranking through random walk over document-level context graph. In Multimedia, 2007.

Y. Liu, T. Mei, X.-S. Hua, J. Tang, X. Wu, and S. Li. Learning to video search rerank via pseudo preference feedback. In *ICME*, 2008.

X. Tian, Y. Lu, L. Yang, and Q. Tian. Learning to judge image search results. In Multimedia, 2011.

X. Tian, L. Yang, J. Wang, Y. Yang, X. Wu, and X.-S. Hua. Bayesian video search reranking. In Multimedia, 2008.

W. H. Hsu, L. S. Kennedy, and S.-F. Chang. Video search reranking through random walk over document-level context graph. In *Multimedia*, 2007.

L. Nie, S. Yan, M. Wang, R. Hong, and T.-S. Chua. Harvesting visual concepts for image search with complex queries. In Multimedia, 2012.





```
1: t = 0; //Iteration zero
```

- 2: Choose the initial pseudo labels and weights;
- 3: while $t \leq \max \text{ iteration } \mathbf{do}$
- 4: Train a reranking model on the fixed labels and weights;
- 5: Update the pseudo labels and weights;
- 6: **if** t is small **then** add more pseudo positives;
- 7: end while
- 8: **return** The list of samples after reranking;





```
    t = 0; //Iteration zero
    Choose the initial pseudo labels and weights;
    while t ≤ max iteration do
    Train a reranking model on the fixed labels and weights;
    Update the pseudo labels and weights;
    if t is small then add more pseudo positives;
    end while
    return The list of samples after reranking;
```

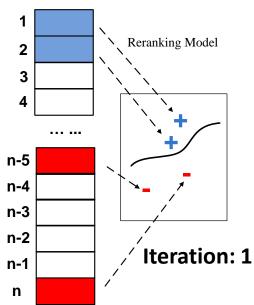
Pseudo labels: assumed (hidden) labels for samples.

Zero-example: ground truth label unknown.





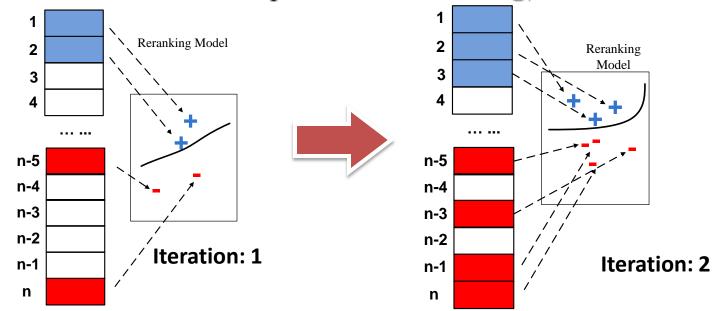
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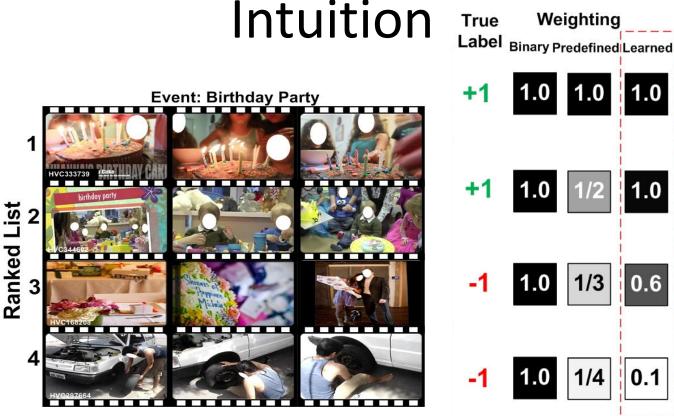


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- Existing methods assign equal weights to pseudo samples.
- Intuition: samples ranked at the top are generally more relevant than those ranked lower.
- Our approach: learn the weight together with the reranking model.





- 1: t = 0; //Iteration zero
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- 5: Update the pseudo labels and weights;
- 6: **if** t is small **then** add more pseudo positives;
- 7: end while
- 8: **return** The list of samples after reranking;

• Questions:

- 1. Why the reranking algorithm performs iteratively?
- 2. Does the process converge? If so, to where?
- 3. Does the arbitrarily predefined weighting scheme converge?





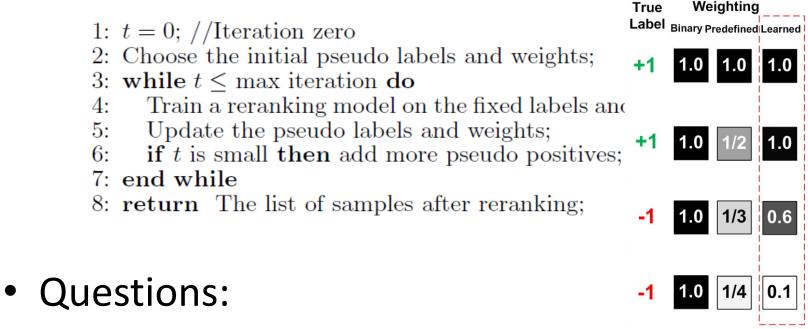
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Self-paced Learning

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- Curriculum Learning (Bengio et al. 2009) or self-paced learning (Kumar et al 2010) is a recently proposed learning paradigm that is inspired by the learning process of humans and animals.
- The samples are not learned randomly but organized in a meaningful order which illustrates from easy to gradually more complex ones.



Prof. Bengio



Prof. Koller

Y. Bengio, J. Louradour, R. Collobert, and J. Weston. Curriculum learning. In ICML, 2009.

M. P. Kumar, B. Packer, and D. Koller. Self-paced learning for latent variable models. In NIPS, pages 1189–1197, 2010.

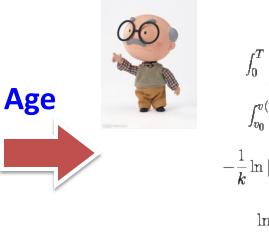






- Easy samples to complex samples.
 - Easy sample → smaller loss to the already learned model.
 - Complex sample → bigger loss to the already learned model.





$$egin{array}{ll} rac{1}{g-kv}rac{dv}{dt} &= 1 \ \int_0^T rac{1}{g-kv}rac{dv}{dt} \; dt &= \int_0^T \; dt \ \int_{v_0}^{v(T)} rac{1}{g-kv} \; dv \; = \; T \ -rac{1}{k}\ln|g-kv| \mid_{v_0}^{v(T)} \; = \; T \ \ln|rac{g-kv(T)}{g-kv_0}| \; = \; -kT \ rac{g-kv(T)}{g-kv_0} \; = \; e^{-kT} \end{array}$$



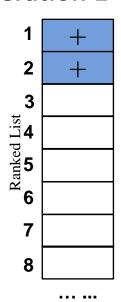


Self-paced Learning

 In the context of reranking: easy samples are the top-ranked videos that have smaller loss.

Ranked list of iteration 1

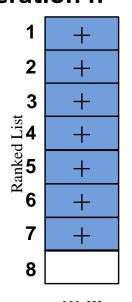








Ranked list of iteration n





Self-paced Reranking (SPaR)



- We propose a novel framework named Self-Paced Reranking (SPaR) pronounced as /'spä/.
- Inspired by the self-paced learning theory.
- Formulate the problem as a concise optimization problem.



*Images from http://en.wikipedia.org/wiki/Hot_spring







The propose model:

$$\min_{\Theta_1,...,\Theta_m,\mathbf{y},\mathbf{v}} \mathbb{E}(\Theta_1,...,\Theta_m,\mathbf{v},\mathbf{y};C,k)$$

$$\Theta_1,...,\Theta_m$$
 Reranking models for each modality.

$$\mathbf{y} \in \{-1,1\}^n$$
 The pseudo label.

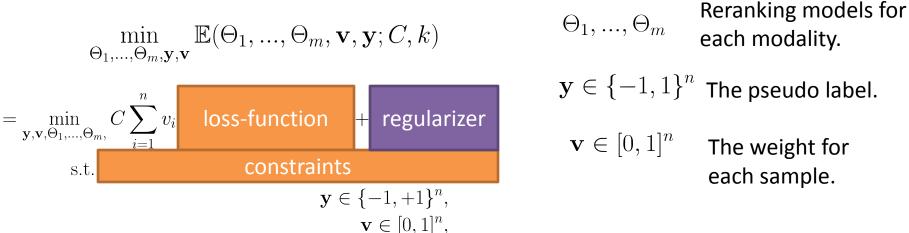
$$\mathbf{v} \in [0,1]^n$$
 The weight for each sample.





Self-paced Reranking (SPaR)

The propose model:



each modality. $\mathbf{y} \in \{-1, 1\}^n$ The pseudo label.

 $\mathbf{v} \in [0,1]^n$ The weight for each sample.

The loss in the reranking model is discounted by a weight.







The propose model:

$$\min_{\Theta_1,...,\Theta_m,\mathbf{y},\mathbf{v}} \mathbb{E}(\Theta_1,...,\Theta_m,\mathbf{v},\mathbf{y};C,k)$$

$$= \min_{\substack{\mathbf{y}, \mathbf{v}, \mathbf{w}_1, \dots, \mathbf{w}_m, \\ b_1, \dots, b_m, \{\ell_{ij}\}}} C \sum_{i=1}^n v_i \sum_{j=1}^m \ell_{ij} + \sum_{j=1}^m \frac{1}{2} \|\mathbf{w}_j\|_2^2 + \mathbf{regularizer}$$
s.t. $\forall i, \forall j, y_i (\mathbf{w}_j^T \phi(\mathbf{x}_{ij}) + b_j) \ge 1 - \ell_{ij}, \ell_{ij} \ge 0$

$$\mathbf{y} \in \{-1, +1\}^n,$$

$$\mathbf{v} \in [0, 1]^n,$$

For example the Loss in the SVM model.

$$\ell_{ij} = \max\{0, 1 - y_i \cdot (\mathbf{w}_j^T \phi(\mathbf{x}_{ij}) + b_j)\}$$

$$\Theta_1,...,\Theta_m$$
 Reranking models for each modality.

$$\mathbf{y} \in \{-1,1\}^n$$
 The pseudo label.

$$\mathbf{v} \in [0,1]^n$$
 The weight for each sample.



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Self-paced Reranking (SPaR)

The propose model:

$$\min_{\Theta_{1},...,\Theta_{m},\mathbf{y},\mathbf{v}} \mathbb{E}(\Theta_{1},...,\Theta_{m},\mathbf{v},\mathbf{y};C,k)$$

$$= \min_{\mathbf{y},\mathbf{v},\Theta_{1},...,\Theta_{m}} C \sum_{i=1}^{n} v_{i}$$
 loss-function $+ mf(\mathbf{v};k)$
s.t.
$$\mathbf{constraints}$$

$$\mathbf{y} \in \{-1,+1\}^{n},$$

$$\mathbf{v} \in [0,1]^{n},$$

$$\Theta_1,...,\Theta_m$$
 Reranking models for each modality.

$$\mathbf{y} \in \{-1,1\}^n$$
 The pseudo label.

$$\mathbf{v} \in [0,1]^n$$
 The weight for each sample.

The self-paced is implemented by a regularizer.

Physically corresponds to learning schemes that human use to learn different tasks.

m is the total number of modality.

f is the self-paced function in self-paced learning.





The definition which provides an axiom for self-paced learning.

```
Definition 1 (Self-paced function). Suppose that v
denotes a weight variable, l is the loss, and k is the learning
pace parameter, f(v;k) is called a self-paced function, if
```

- 1. f(v;k) is convex with respect to $v \in [0,1]$.
- 2. $v^*(k,l)$ is monotonically decreasing with respect to l, and it holds that $\lim_{l\to 0} v^*(k,l) = 1, \lim_{l\to \infty} v^*(k,l) = 0.$
- 3. $v^*(k,l)$ is monotonically increasing with respect to 1/k, and it holds that $\lim_{k\to 0} v^*(k,l) = 1$, $\lim_{k\to \infty} v^*(k,l) = 0$.

```
where v^*(k, l) = \arg\min_{v \in [0,1]} vl + f(v; k).
```

Convex function.

1/k is the age parameter in self-paced learning. Physically it corresponds to the age of the learner.





We propose the definition which provides an axiom for self-paced learning.

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where $v^*(k, l) = \arg\min_{v \in [0, 1]} vl + f(v; k)$.

Favors easy samples.

1/k is the age parameter in self-paced learning. Physically it corresponds to the age of the learner.





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where $v^*(k, l) = \arg\min_{v \in [0, 1]} vl + f(v; k)$.

When the model is young use less samples; When the model is mature use more;

1/k is the age parameter in self-paced learning. Physically it corresponds to the age of the learner.





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Self-paced Function

Existing self-paced functions only support binary weighting (Kumar et al 2010).

$$f(\mathbf{v};k) = -\frac{1}{k} \|\mathbf{v}\|_1 = -\frac{1}{k} \sum_{i=1}^n v_i.$$
 Binary weighting

We argument the weight schemes and proposes the following soft weighting.

$$f(\mathbf{v}; k) = \frac{1}{k} (\frac{1}{2} ||\mathbf{v}||_2^2 - \sum_{i=1}^n v_i).$$

Linear weighting

$$f(\mathbf{v};k) = \sum_{i=1}^{n} (\zeta v_i - \frac{\zeta^{v_i}}{\log \zeta}),$$

Logarithmic weighting

$$f(\mathbf{v}; k, k') = -\zeta \sum_{i=1}^{n} \log(v_i + \zeta k),$$

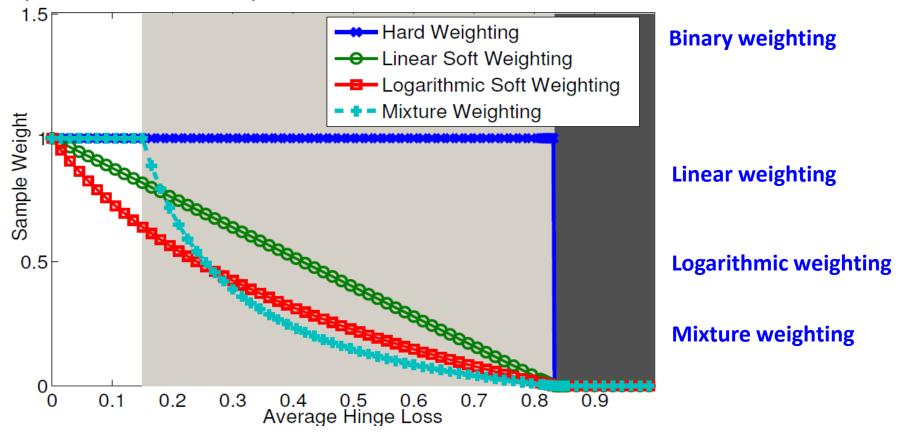
Mixture weighting

M. P. Kumar, B. Packer, and D. Koller. Self-paced learning for latent variable models. In NIPS, pages 1189–1197, 2010.





Existing self-paced functions only support binary weighting (Kumar et al 2010).









```
1: t = 0; //Iteration zero

2: Choose starting values for \mathbf{y}, \mathbf{v};

3: \mathbf{while} \ t \leq \max \ \text{iteration do}

4: \Theta_1^{(t+1)}, ..., \Theta_m^{(t+1)} = \arg \max \mathbb{E}_{\mathbf{y}, \mathbf{v}}(\Theta_1^{(t)}, ..., \Theta_m^{(t)}; C);

5: \mathbf{y}^{(t+1)}, \mathbf{v}^{(t+1)} = \arg \max \mathbb{E}_{\Theta}(\mathbf{y}^{(t)}, \mathbf{v}^{(t)}; k);

6: \mathbf{if} \ t \ \text{is small then increase } 1/k;

7: \mathbf{end} \ \mathbf{while}

8: \mathbf{return} \ [v_1 y_1, \cdots, v_n y_n]^T;
```

Algorithm 1: Reranking in Optimization Perspective.

CCM (Cyclic Coordinate Method) is used to solve the problem. Fixing one variable and optimizing the other variables.





```
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8: return [v_1y_1, \cdots, v_ny_n]^T;

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8: return The list of samples after reranking;
```

Optimization perspective

Conventional perspective

- Optimization perspective

 theoretical justifications
- Conventional perspective offers practical lessons
- Reranking is a self-paced learning process.





```
1: t=0; //Iteration zero

2: Choose starting values for \mathbf{y}, \mathbf{v}; 2: Choose the initial pseudo labels and weights; 3: while t \leq \max iteration do 4: \Theta_1^{(t+1)}, ..., \Theta_m^{(t+1)} = \arg\max \mathbb{E}_{\mathbf{y}, \mathbf{v}}(\Theta_1^{(t)}, ..., \Theta_m^{(t)}; C); 4: Train a reranking model on the fixed labels and weights; 5: \mathbf{y}^{(t+1)}, \mathbf{v}^{(t+1)} = \arg\max \mathbb{E}_{\Theta}(\mathbf{y}^{(t)}, \mathbf{v}^{(t)}; k); 6: if t is small then increase 1/k; 7: end while 8: return [v_1y_1, \cdots, v_ny_n]^T; 8: return The list of samples after reranking;
```

Algorithm 1: Reranking in Optimization Perspective. Algorithm 2: Reranking in Conventional Perspective.

Q1: Why the reranking algorithm performs iteratively?

A: Self-paced learning mimicking human and animal learning process (from easy to complex examples).

Q2: Does the process converge? If so, to where?

A: Yes, to the local optimum. See the theorem in our paper.

Q3: Does the arbitrarily predefined weighting scheme converge?

A: No, but the weights by self-paced function guarantees the convergence.





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1: t = 0; //Iteration zero

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                                                                Train a reranking model on the fixed labels and weights;
                                                                Update the pseudo labels and weights:
                                                                if t is small then add m True
     if t is small then increase 1/k;
                                                                                          Label Binary Predefined Learned
                                                           7: end while
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                                                           8: return The list of sample
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Carnegie Mellon University

TRECVID Multimedia Event Detection

- Dataset: MED13Test (around 34,000 videos) on 20 predefined events.
- Test on the NIST's split (25,000 videos).
- Evaluated by Mean Average Precision.
- Four types of high-level features:
 - ASR, OCR, SIN, and ImageNet DCNN
- Two types of low-level features:
 - Dense trajectory and MFCC
- Configurations:
 - Mixture self-paced function
 - Starting values obtained by MMPRF
 - Setting age parameter to include certain number of samples.



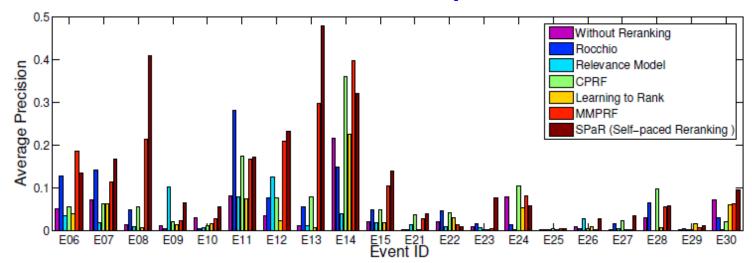


Results on MED13Test

Table 1: MAP (\times 100) comparison with the baseline methods across 20 Pre-Specified events.

Method	NIST's split	10 splits
Without Reranking	3.9	4.9 ± 1.6
Rocchio	5.7	7.4 ± 2.2
Relevance Model	2.6	3.4 ± 1.0
CPRF	6.4	8.3 ± 1.8
Learning to Rank	3.4	4.2 ± 1.4
MMPRF	10.1	13.6 ± 2.4
SPaR	12.9	15.3 ± 2.6

By far the best MAP of the 0Ex task reported on the dataset!



Outperforms MMPRF on 15/20 events.

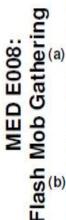




Comparison of top-ranked videos



Carnegie Mellon University Comparison of top-ranked videos











- Very challenging task:
 - Search over MED14Eval Full (200K videos)
 - The ground-truth label is unavailable.
 - Can only submit one run.
 - Ad-Hoc queries (events) are unknown to the system.

- SPaR yields outstanding improvements for TRECVID MED14 000Ex and 010Ex condition!
- Take no more than 60 seconds/query on a workstation.
- Cost-effective Method!





Web Query Dataset

- Web image (353 queries over 71,478 images)
- Densely sampled SIFT are extracted.
- Parameters are tuned on a validation set.
- Mixture self-paced function is used.

Table 3: MAP and MAP@100 comparison with baseline methods on the Web Query dataset.

Method	MAP	MAP@100
Without Reranking [17]	0.569	0.431
CPRF [38]	0.658	-
Random Walk [10]	0.616	-
Bayesian Reranking [33, 32]	0.658	0.529
Preference Learning Model [32]	-	0.534
BVLS [26]	0.670	-
Query-Relative(visual) [17]	0.649	-
Supervised Reranking [39]	0.665	-
SPaR	0.672	0.557

SPaR also works for image reranking (single modality)







- Two scenarios where SPaR fails:
 - Initial top-ranked videos are completely off-topic.
 - Features used in reranking are not discriminative to the queries.
- Sensitive to random starting values
 - Initializing by existing reranking algorithms such as MMPRF/CPRF.
- Tuning the age parameter by the statistics collected from the ranked samples.
 - as opposed to absolute values.



Outline



- Motivation
- Related Work
- Jensen Shannon Tiling
- Experiment Results
- Conclusions







- A few messages to take away from this talk:
 - Reranking follows the self-paced learning process.
 - SPaR is a novel and general framework with theoretical backgrounds for multimodal reranking.
 - SPaR achieves by far the best result on the Multimedia Event Detection zero-example search.



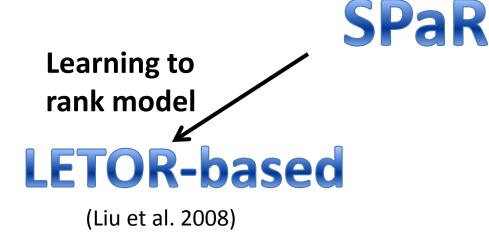
THANK YOU. 14 Q&A?

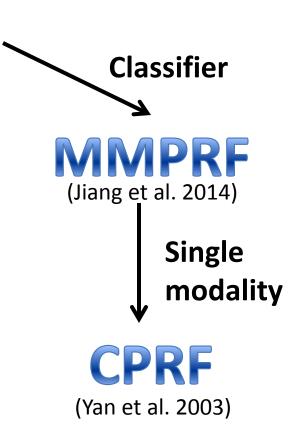
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Y. Liu, T. Mei, X.-S. Hua, J. Tang, X. Wu, and S. Li. Learning to video search rerank via pseudo preference feedback. In *ICME*, 2008. L. Jiang, T. Mitamura, S.-I. Yu, and A. G. Hauptmann. Zero-example event search using multimodal pseudo relevance feedback. In *ICMR*, 2014. R. Yan, A. G. Hauptmann, and R. Jin. Multimedia search with pseudo-relevance feedback. In *CVIR*, 2003.

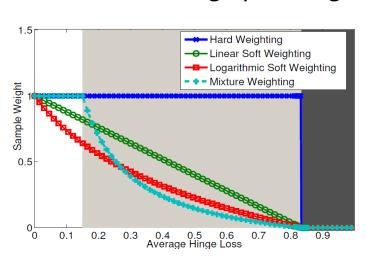


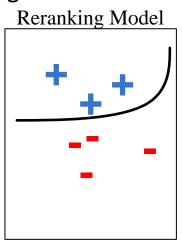


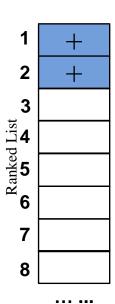
Carnegie Mellon University

SPaR for Practitioners

- 1. Pick a self-paced function
 - Binary/Linear/Logarithmic/Mixture weighting .
- 2. Pick a favorite reranking model
 - SVM*/Logistic Regression/Learning to Rank.
- 3. Get reasonable starting values
 - Initializing by existing reranking algorithms.







^{*}weighted sample LibSVM http://www.csie.ntu.edu.tw/~cjlin/libsvmtools/#weights_for_data_instances





SPaR for Practitioners

Iterate the following steps:

- Training a reranking model using the pseudo samples.
- Selecting pseudo positive samples and their weights by self-paced function. Selecting some pseudo negative samples randomly.
- Changing the model age 1/k to include more positive samples for the next iteration (setting to include certain number of examples).







• The propose model:

$$\min_{\Theta_1,...,\Theta_m,\mathbf{y},\mathbf{v}} \mathbb{E}(\Theta_1,...,\Theta_m,\mathbf{v},\mathbf{y};C,k)$$

Algorithm (Cyclic Coordinate Method):

- 1. Fix \mathbf{v}, \mathbf{y} , optimize $\Theta_1, ..., \Theta_m$ Using the existing off-the-shelf algorithm.
- 2. Fix $\Theta_1, ..., \Theta_m$ v optimize y Enumerating binary labels.
- 3. Fix $\Theta_1, ..., \Theta_m$ y optimize v Selecting samples and their weights for the next iteration
- 4. Change the age parameter to include more samples.

$$\Theta_1,...,\Theta_m$$
 Reranking models for each modality.

$$\mathbf{y} \in \{-1,1\}^n$$
 The pseudo label.

$$\mathbf{v} \in [0,1]^n$$
 The weight for each sample.